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175

**REGULATORS**

~~**HYDRAULIC DESIGN**~~

2

# Hydraulic Design

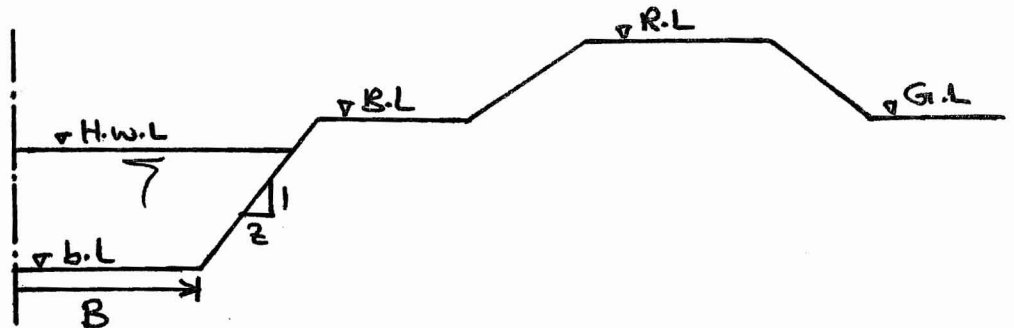
التصميم الهيدروليكي للزمن منه :-

- 1- إيجاد عدد الفتحات (N) وعمق كل فتحة (S)  
2- التحقق من شرجها الهياكل (check of heading up)

Given:-

1- Maximum Canal discharge ( $Q_{max}$ )

2- Canal cross section:-



3- Maximum allowable heading up ( $h_{all}$ )

يتم الحصول على ( $h_{all}$ ) بالطريقة الآتية :-

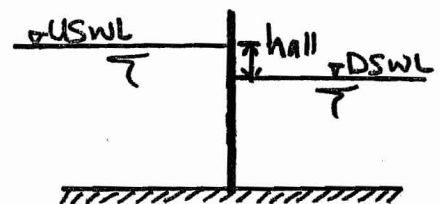
a-  $h_{all} = \checkmark$  (given)

or

b- from longitudinal section

$$h_{all} = USWL - DSWL$$

or



c- If not given. take  $h_{all} = 20 \text{ cm}$

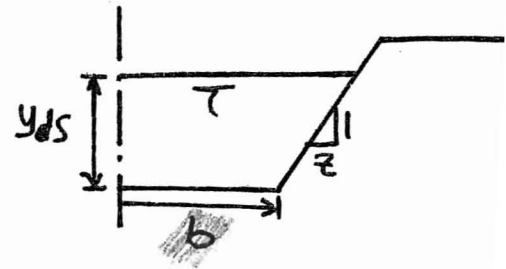
Req:-

- 1- Dimensions (No of vents ( $N$ ) and Span ( $S$ ))
- 2- check of heading up (hup)

Sol:-

1-  $A_{ds} = y_{ds} (b + z y_{ds}) = \text{ } m^2$

2-  $V_{ds} = \frac{Q_{max}}{A_{ds}} = \text{ } m/s$



3-  $2 V_{ds} \leq V_r \leq 3 V_{ds}$   
 $1 \leq \leq 2$

assume  $V_r = \text{ } m/sec$

4-  $A_{ww} = \frac{Q_{max}}{V_r} = \text{ } m^2$

5-  $A_{ww} = N * S * y_{ds} \rightarrow N \text{ و } S = ??$

نیم هکتار اختیار کردیم و N و S بحیث نیم عرض در هکتار و با ایجاد الا فروع و یفضل تقایل عدد افتداد

assume  $N = \text{ } \}$   
find  $S = \text{ } \}$

نیم هکتار اختیار کردیم

## Check of Velocity

$$\cdot V_r = \frac{Q_{max}}{A_{w_{act}}} = L \quad (1 \rightarrow 2 \text{ m/s})$$

o.o.o/c

## Check of Contraction factor

$$\cdot \alpha = \frac{A_{ds} - A_{ww}}{A_{ds}} = L \quad \neq 0.4$$

IF  $\alpha > 0.4$

take  $\alpha = 0.4$

$$\therefore 0.4 = \frac{A_{ds} - N * S * y_{ds}}{A_{ds}}$$

$$\therefore S = L$$

## Check of heading up:-

$$h_{up} = \frac{v_{us}^2}{2gc^2} \left( \left( \frac{A_{us}}{A_{ww}} \right)^2 - 1 \right) \neq h_{all}$$

Where:-

-  $C$  : معامل يتوقف على عرض الفتحة

$$C = 0.72 \rightarrow S < 2$$

$$= 0.82 \rightarrow 2 \leq S \leq 4$$

$$= 0.92 \rightarrow S > 4$$

$$- A_{ww} = S * N * y_{ds} = \checkmark$$

$$- A_{us} = y_{us} (b + z y_{ws}) = \checkmark$$

$$\bullet y_{ws} = y_{ds} + h_{all}$$

$$- v_{ws} = \frac{Q_{max}}{A_{us}} = \checkmark$$

\* If  $h_{up} < h_{all} \rightarrow \therefore ok$

\* If  $h_{up} > h_{all} \rightarrow \therefore Not ok$

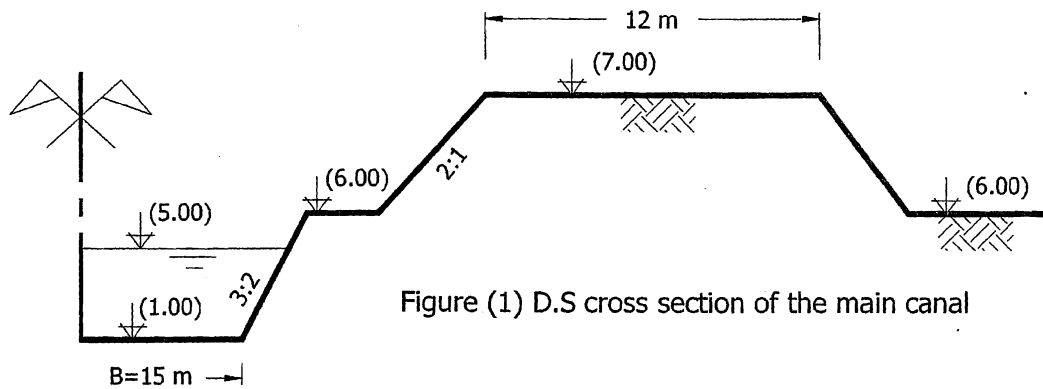
وسيم زيادة عرض الفتحة (S)

### Sheet (3) Regulators

1- Figure (1) shows the D.S cross section of a main canal in which a reinforced concrete regulator is to be constructed. The regulator consists of 4 vents each 3.0 m width. The maximum discharge through the regulator is  $Q = 50 \text{ m}^3/\text{sec}$  and the maximum heading up is 10 cm. The following data are also considered in the design: (i) The bridge width = 10.0 m and it has 2 sidewalks of 1.0 m each, (ii) The pier width = 1.0 m, (iii) Box and sloping wing walls are used for upstream and downstream sides, respectively, and (iv) Vertical sliding steel gates with four Main girders are used

It is required to:

- Check the value of heading up for fully open gates.
- Give a complete structure design of the gate, and find the required lifting force.
- Draw neat sketch showing each of the following views:
  - Plan (H.E.R.)
  - Longitudinal section through a vent centerline.



2- A reinforced concrete head regulator with 200.0 m approach channel is to be constructed to feed a main canal from a Rayah. The cross sections data for the canal and Rayah at the crossing site are given in the following table. The available data for the regulator are:

- Maximum allowable discharge through the canal is  $6.8 \times 10^6 \text{ m}^3/\text{day}$
- The span of vents is 5.0 m,
- The bridge width over the regulator is 10.0 m and it has two sidewalks of 1.0 m width for each,
- U.S and D.S box wing walls are used,
- The width of the intermediate piers is 1.0 m.

**It is required to:**

- 1- Carry out the hydraulic design of the regulator (calculate the number of vents, and check of heading up).
- 2- Find the position of the main girders analytically (use 3 M.G).
- 3- Give a complete structure design of the gate (skin plate –M.G – X.G – Roller).
- 4- Find the required lifting force.

	Bed width (m)	Berm width (m)	Road width (m)	Side slopes	Bed Level	Water Level	Berm Level	Road Level
Canal cross sec.	25.0	4.0	10.0	2:1	(2.00)	(5.60)	(6.20)	(8.00)
Rayah cross sec.	40.0	5.0	12.0	3:2	(1.00)	(5.70)	(6.20)	(8.00)

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## Prob(1)

[a] - Check the value of heading up

$$h_{up} = \frac{V_{us}^2}{2gc^2} \left( \left( \frac{A_{us}}{A_{ww}} \right)^2 - 1 \right)$$

$$\therefore S = 3^m \rightarrow \therefore C = 0.82$$

$$\bullet A_{ww} = N * S * y_{ds} = 4 * 3 * 4 = 48 \text{ m}^2$$

$$\bullet A_{us} = y_{us} (B + 2 y_{ws})$$

$$\therefore \text{take } y_{ws} = y_{ds} + h_{all} = 4 + 0.1 = 4.1^m$$

$$\therefore A_{us} = 4.1 (15 + 1.5 * 4.1) = 86.715 \text{ m}^2$$

$$\therefore V_{ws} = \frac{Q_{max}}{A_{us}} = \frac{S_0}{86.715} = 0.577 \text{ m/s}$$

$$\therefore h_{up} = \frac{(0.577)^2}{19.62 * (0.82)^2} \left( \left( \frac{86.715}{48} \right)^2 - 1 \right)$$

$$= 0.057^m = 5.7^{\text{cm}} < h_{all} = 10^{\text{cm}}$$

$\therefore \text{OK}$



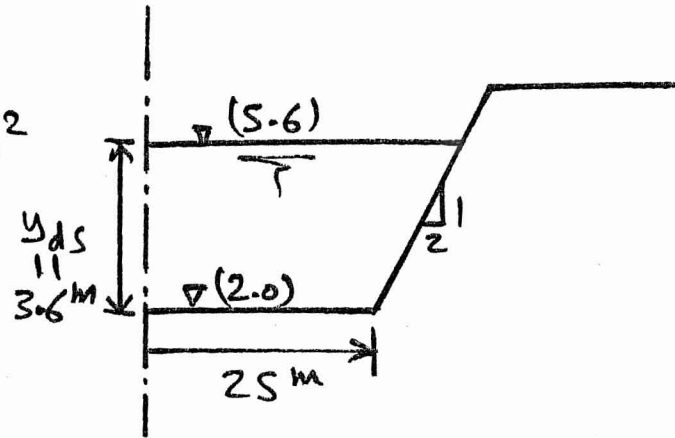
## Prob(2)

1- Carry out the hydraulic design

$$\bullet A_{ds} = 3.6(25 + 2 \times 3.6) = 115.92 \text{ m}^2$$

$$Q_{\max} = \frac{6.8 \times 10^6}{24 \times 60 \times 60} = 78.7 \text{ m}^3/\text{s}$$

$$\bullet V_{ds} = \frac{Q_{\max}}{A_{ds}} = 0.68 \text{ m/s}$$



$$2V_{ds} = 1.36 \leq V_r \leq 2.04$$

$$1 \leq \leq 2$$

assume  $V_r = 1.5 \text{ m/sec}$

$$\therefore A_{ww} = \frac{Q_{\max}}{V_r} = 52.47 \text{ m}^2$$

$$A_{ww} = N \times S \times y_{ds}$$

$$52.47 = N \times 5 \times 3.6$$

$$N = 2.915$$

take  $N = 3.0 \text{ vents}$

### \* Check of velocity

$$v_r = \frac{Q_{max}}{A_{ww}} = \frac{78.7}{3 \times 5 \times 3.6} = 1.46 \text{ m/s} \quad (1 \rightarrow 2 \text{ m/s})$$

∴ OK

### \* Check of $\alpha$

$$\alpha = \frac{A_{ds} - A_{ww}}{A_{ds}} = \frac{115.92 - 3 \times 5 \times 3.6}{115.92} = 0.53 > 0.4$$

∴ Not OK

take  $\alpha = 0.4$

$$0.4 = \frac{115.92 - N \times 5 \times 3.6}{115.92}$$

$$\therefore N = 3.86$$

∴ take  $N = 4.0$  vents

### \* Check of heading up

$$h_{up} = \frac{v_{ms}^2}{2gc^2} \left( \left( \frac{A_{ms}}{A_{ww}} \right)^2 - 1 \right)$$

- $c = 0.92$  &  $A_{ww} = 4 \times 5 \times 3.6 = 72 \text{ m}^2$
- $y_{ms} = y_{ds} + 0.1 = 3.7 \text{ m}$  &  $A_{ms} = 3.7(25 + (2) \times 3.7) = 119.88$
- $v_{ms} = \frac{78.7}{119.88} = 0.66 \text{ m/s}$

$$\therefore h_{up} = 0.046 \text{ m} = 4.6 \text{ cm} < h_{all} = 10 \text{ cm}$$

∴ OK